Response-Field Dynamics in the Auditory Pathway

Didier Depireux Powen Ru Shihab Shamma Jonathan Simon

Institute for Systems Research University of Maryland

Work supported by grants from the Office of Naval Research, a training grant from the National Institute on Deafness and Other Communication Disorders, and the National Science Foundation

and Acoustic Research

Abstract

We investigated the response properties and functional organization of Primary Auditory Cortex (AI), to determine how the shape of the acoustic spectrum is represented in single-unit responses. The experiments employ broadband stimuli with sinusoidally modulated spectral envelopes (ripples), and systems theoretic methods to derive unit response fields and to characterize their spectro-temporal properties. These methods assume linearity of auditory responses with respect to the stimulus spectral envelope. We also address the degree of separability of response fields with respect to upward and downward moving sounds. We verified that unit responses to complex sounds with both upward and downward components can be predicted from their responses to simple ripples.



Introduction

Natural sounds are characterized by loudness (intensity), pitch (tonal height) and timbre (the rest, e.g. dynamic envelope of spectrum).

Question: How is timbre encoded in primary auditory cortex (AI)?

Our Approach:

Beyond the sensory epithelium (cochlea or retina), principles used by neural systems are universal. To lowest order, we view the basilar membrane as a 1-D retina, and use the method of gratings to study single units in AI.

Important Concepts:

- *Response Field* (RF): the range of frequencies that influence a neuron. In general, RF is a function of time.
- *Ripples*: broadband sounds with sinusoidally modulated spectral envelope; i.e. auditory gratings.
- Data analysis based on *linear systems* to characterize response field. By varying ripple frequency and velocity, we measure the transfer function. The inverse Fourier transform gives the *spectro-temporal* RF (STRF).

We find:

• Cells can be characterized by a STRF. The STRF can be separable or non-separable.

• Cells behave like a linear system: when cells are presented with a sound made of up the sum of several profiles, the response of the cell (assuming a rate code) is the sum of the responses to the individual profiles.

We show predictions of single-unit responses in AI to complex spectra, verifying:

• *Linearity* of AI responses to all types of dynamic ripples: responses to both upward and downward moving ripples can be superimposed linearly to predict responses to arbitrary combinations of these ripples.

• *Separability* of spectral and temporal measurements of the responses: spectral properties can be measured independently of the temporal properties (such as the impulse response).

We conclude:

The combined spectro-temporal decomposition in AI can be described by an affine wavelet transformation of the input, in concert with a similar temporal decomposition. The auditory profile is the result of a multistage process which occurs early in the pathway. This pattern is projected centrally where a multiscale representation is generated in AI by STRFs with a range of widths, asymmetries, BFs, time lags and directional sensitivities.



Captions

The next few figures illustrate spectro-temporal functions and their Fourier transforms.

Since the cochlea performs (to first order) a Fourier transform along the logarithmic frequency axis, we also measure spectral distance in log(frequency). Since the Fourier transform is time-windowed, we also require a time axis. For this reason we will focus attention on two-dimensional functions of log(frequency) and time.

Consider the (Fourier) space dual to this two-dimensional spectro-temporal space. For linear systems, the spectro-temporal domain and its Fourier domain are equivalent. Analysis is often conceptually simpler in the Fourier domain. Note that real functions in the spectro-temporal domain give rise to complex conjugate symmetric functions in the Fourier domain.

The next panel **Spectro-Temporal Fourier Transform** illustrates the envelope of a speech fragment, in both its spectro-temporal and Fourier representations. Notice that in the Fourier representation, the function is highly concentrated.

The subsequent panel **Spectro-Temporal Fourier Transform Response** illustrates the spectro-temporal response field of a neuron, and its Fourier dual, the transfer function.

The panel **Spectro-Temporal Fourier Transform Stimulus** shows an example of the usefulness of the Fourier domain. The envelope of a speech fragment is Fourier transformed. The Fourier transform is then approximated by its 100 largest components and then inverted, giving an excellent approximation to the original envelope.

The panel **Ripples** demonstrates that points in the Fourier space correspond to broadband sounds with a sinusoidally modulated spectral and temporal envelope.

and Acoustic Research

Spectro-Temporal Fourier Transform

Spectrogram (log frequency)







w = "ripple velocity" $\Omega =$ "ripple frequency"



Spectro-Temporal Fourier Transform Response

Spectrogram (log frequency)

 $A x = \log f$





Institute for Systems Research University of Maryland

W

Spectro-Temporal Fourier Transform Simulus



Ripples



and Acoustic Research

University of Maryland

Quadrant Separability





Measurements in Ripple Frequency



Center for Auditory and Acoustic Research

Measurements in Ripple Velocity



Center for Auditory and Acoustic Research

Spectro-Temporal Response Fields





Predictions



Center for Auditory and Acoustic Research

Ripple Decomposition

Response field modeling

The response of the spatial filter is $H_n(\Omega) = (\Omega / \Omega_n)^2 e^{-(\Omega / \Omega_n)^2} \max(\Omega, 0)$ $h_n(x) = h_{n,r}(x) + j\hat{h}_{n,r}(x)$

The response of temporal filter is $G_m(w) = (w/w_m)^2 e^{-(w/w_m)^2} \max(\operatorname{sgn}(w_m)w, 0)$ $g_m(t) = g_{m,r}(t) + j \operatorname{sgn}(w_m) \hat{g}_{m,r}(t)$

where
$$h_{n,r}(x) = \frac{k_n}{2} (1 - (k_n x)^2) e^{-(k_n x)^2/2}$$

and $k_n = 2\pi \Omega_n$

where
$$g_{m,r}(t) = \frac{\omega_m}{2} (1 - (\omega_m t)^2) e^{-(\omega_m t)^2/2}$$

and $\omega_n = 2\pi w_n^2$

Direction selectivity

The multiscale-multirate response for an auditory spectrogram is

 $p_{mn}(t,x) = p(t,x) *_t g_m(t) *_x h_n(x)$

The composite spatiotemporal impulse response shows the nature of directional selectivity.

Representation

The phase of the complex response is indicated by colors: green = 0° , red = 90° , purple = $\pm 180^{\circ}$ and blue = -90° . The magnitude is linearly represented by the saturation of the color.



Ripple Filters



Institute for Systems Research University of Maryland

Center for Auditory and Acoustic Research

Ripple Decomposition Example



Center for Auditory and Acoustic Research

Selected References

Dynamical papers

Kowalski NA, Depireux DA and Shamma SA, J.Neurophys. 76 (5) (1996) 3503-3523, and 3524-3534.

Stationary papers

- Shamma SA, Versnel H and Kowalski NA, J. Auditory Neuroscience (1) (1995) 233-254, and 255-270, and 271-285.
- □ Schreiner CE and Calhoun BM. Auditory Neurosci., 1 (1994) 39-61.

Related analysis techniques and models

- Kowalski NA, Versnel H and Shamma SA, J. Neurophys. 73(4) (1995) 1513-1523
- □ Wang K and Shamma SA, IEEE Trans. on Speech and Audio 2(3) (1994) 421-435, and 3(2) (1995) 382-395
- Shamma SA, Fleshman JW, Wiser PR and Versnel H, J. Neurophys 69(2) (1993) 367-383

